



$12 \text{ in} = 4 + (4 \times 1/2) + 2 = 110 \text{ in}$
 I marked Sandy's shadow 110,
 and the angle of elevation 32°
 Then I marked Sandy's height
 x . In order to find x ,
 I applied what I learned about
 tangent, a calculator function.

$$\text{TAN}(\text{angle}) \cdot \underset{\text{side}}{\text{adjacent}} = \underset{\text{side}}{\text{opposite}}$$

This works because $\text{TAN}(\text{angle}) = \text{slope}$ of the
 line. So when you multiply slope by the adjacent
 side, you get the length of the opposite side.
 I plugged the values into the formula:

$$\text{TAN}(32) \cdot 110 = x$$

$$68.7 \text{ in} = x$$

$$69 \text{ in} \approx x$$

Another way to show how the formula works is to
 break it down.

$$\text{TAN}(\text{angle}) = \text{slope}$$

$$\text{slope} = \frac{\text{opposite}}{\text{adjacent}}$$

$$\text{TAN}(32) = 0.62$$

So set them into
 proportion:

$$\frac{0.62}{1} \approx \frac{x}{110}$$

$$x = 68.2$$

This is less accurate
 than the formula because
 $\text{TAN}(\text{angle})$ was rounded.
 That's why it's better to
 do everything at once rather than
 step by step.

The rules I learned
 in this problem are:

to use $\text{TAN}(\text{angle}) \cdot \text{adj} = \text{opp}$

to get the length of the opposite side. Also to
 use $\text{TAN}(\text{angle})$ when finding slope ($\frac{\text{opp}}{\text{adj}}$) I learned to use the
 formula all at once rather than take it step by step!

This problem is very similar to page 410, #10, except in
 that problem we dealt with the angle of depression
 rather than the angle of elevation. Important to remember:

The formulas with tangent ONLY apply to right
 triangles.